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- 5.1 Bresolin et al. (2004, ApJ 615, 228) analyze the line intensities of H II regions in the spiral galaxy M51. Using the line intensities in their Table 1, reproduce their analysis for CCM 72.
- What is the electron density?
 - From the [N II] line ratio, derive the electron temperature $T(N^+)$.
 - Derive the abundance ratios O^+/H^+ , O^{+2}/H^+ , & Ne^{+2}/H^+ . Estimate $T(O^{+2})$ from equation (2) of Bresolin et al. and use this value also for Ne^{+2} . Compare your results with Table 4 in the article.
 - Derive the total oxygen abundance $N(O)/N(H)$ and check against Table 5 in the article. Also compare your result with the solar system abundances given in part 1 of *Hazy*, the documentation for CLOUDY (Ferland 2006).
 - Compare your value of Ne^{+2}/O^{+2} with the solar system abundances. If the Ne/O ratio is universal, does it appear that Ne^{+2} and O^{+2} occupy the same volume in the nebula?
- 5.2 Using CLOUDY, run a model planetary nebula with a hydrogen density $10^{3.3} \text{ cm}^{-3}$ and starting radius 10^{17} cm ionized by a 70,000 K black body with a luminosity of $10^{37} \text{ erg s}^{-1}$. Use the default solar system abundances in CLOUDY. Make sure your calculation reaches the Strömgren sphere.
- Verify that the total luminosity of $H\beta$ in the model output is what is expected for the value of $Q(H^0)$ given by the model output.
 - Treating the model intensities of $\lambda\lambda 5007, 4959$ and $\lambda 4363$ as data, derive the temperature $T(O \text{ III})$. Compare with the value of $\langle T(O^{+2}) \rangle$, weighted by electron density and volume, given in the CLOUDY output. Ignore collisional de-excitation.
 - Use your derived $T(O \text{ III})$ and the model line intensities to calculate the O^{++}/H^+ abundance ratio. Compare with the quantity $[\langle X(O^{+2}) \rangle / \langle X(H^+) \rangle][N(O)/N(H)]$, taking the mean ionization fractions and oxygen abundance from the model.