

Using the Cosmic Infrared Background to Deduce Properties of High Redshift Stars

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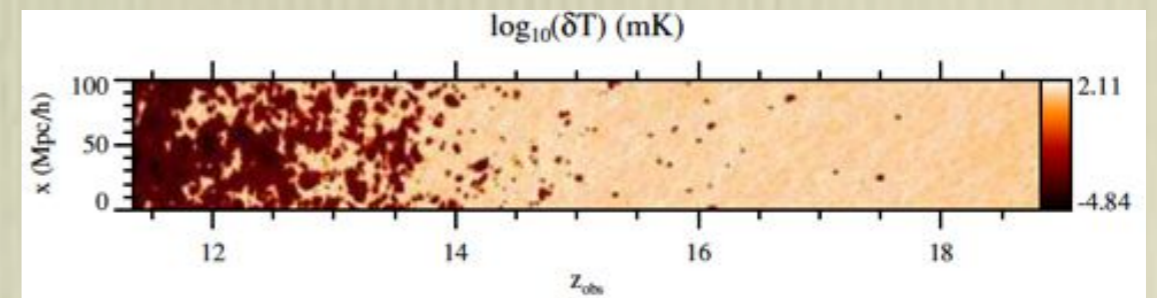


Stars at High Redshift

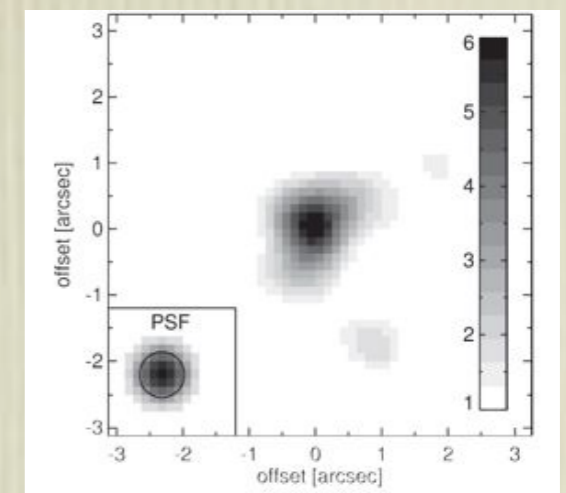
- How are stellar populations different than what we see today? (Pop III to Pop II)
- What are high redshift galaxies like?
- Why are they important?
 - Understand reionization history
 - Understand metal enrichment

How to Observe the EoR

- 21 cm line -
 - Great probe for pre-reionization
 - 3D map of neutral hydrogen
- High redshift galaxy surveys
 - Direct observation of galaxies
 - Biased - small fraction of bright, common objects



Mellema et al. 2006



LAE at $z \sim 8.6$, Lehnert et al.

The Cosmic Infrared Background

- Integrated light from all of high redshift star formation
- A complimentary observable
 - Complimentary to the 21 cm line - probes later stages of reionization
 - Complimentary to high redshift galaxy surveys - probes the population as a whole

Dissecting the CIB

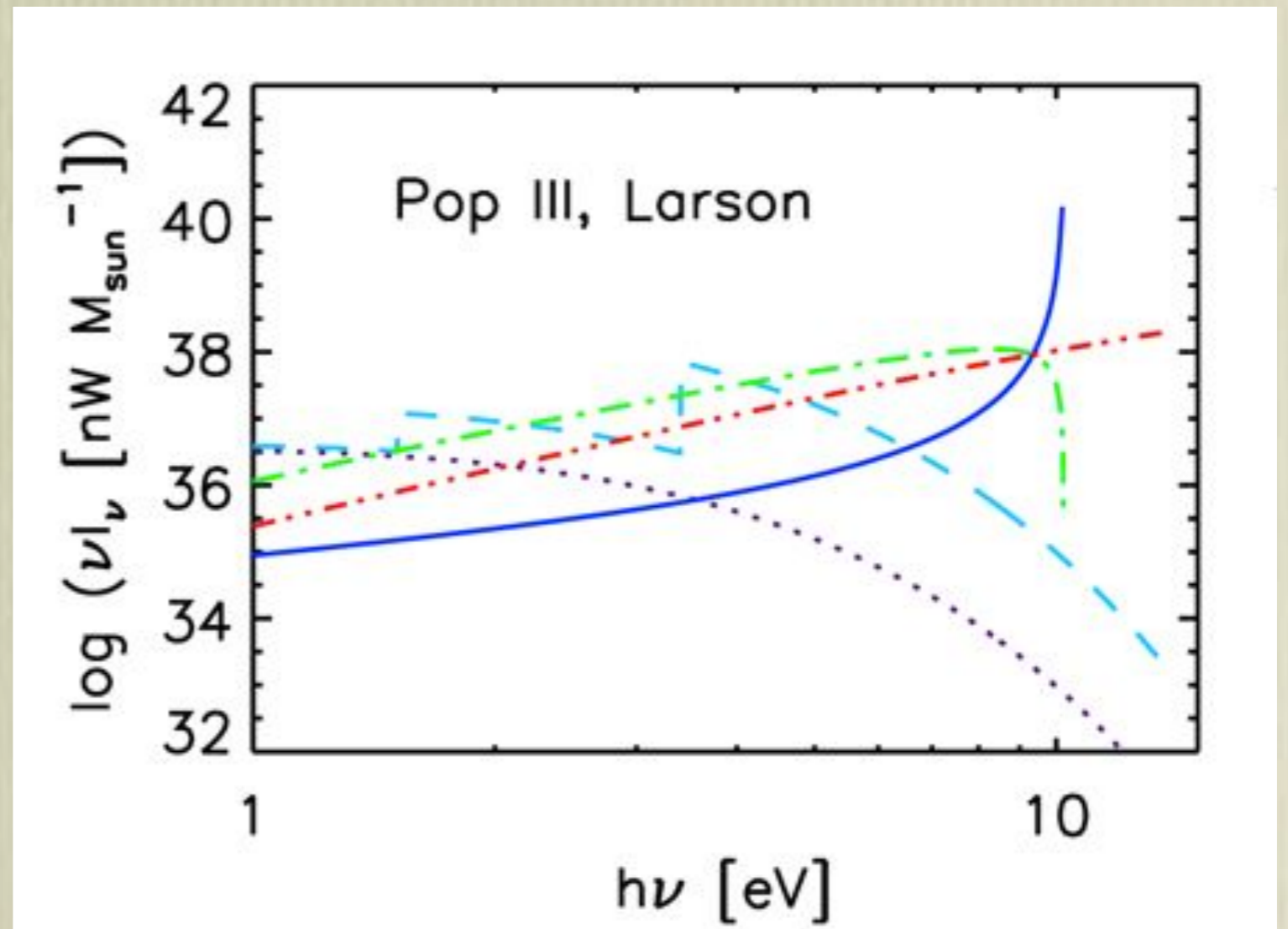
- The pieces
 - The properties of STARS themselves
 - The properties of GALAXIES
 - The NUMBER of stars forming
 - WHERE the light is reprocessed
 - HOW the light is reprocessed

The Tools

- Analytical formulae

Stellar Properties:

- Mass
- Metallicity

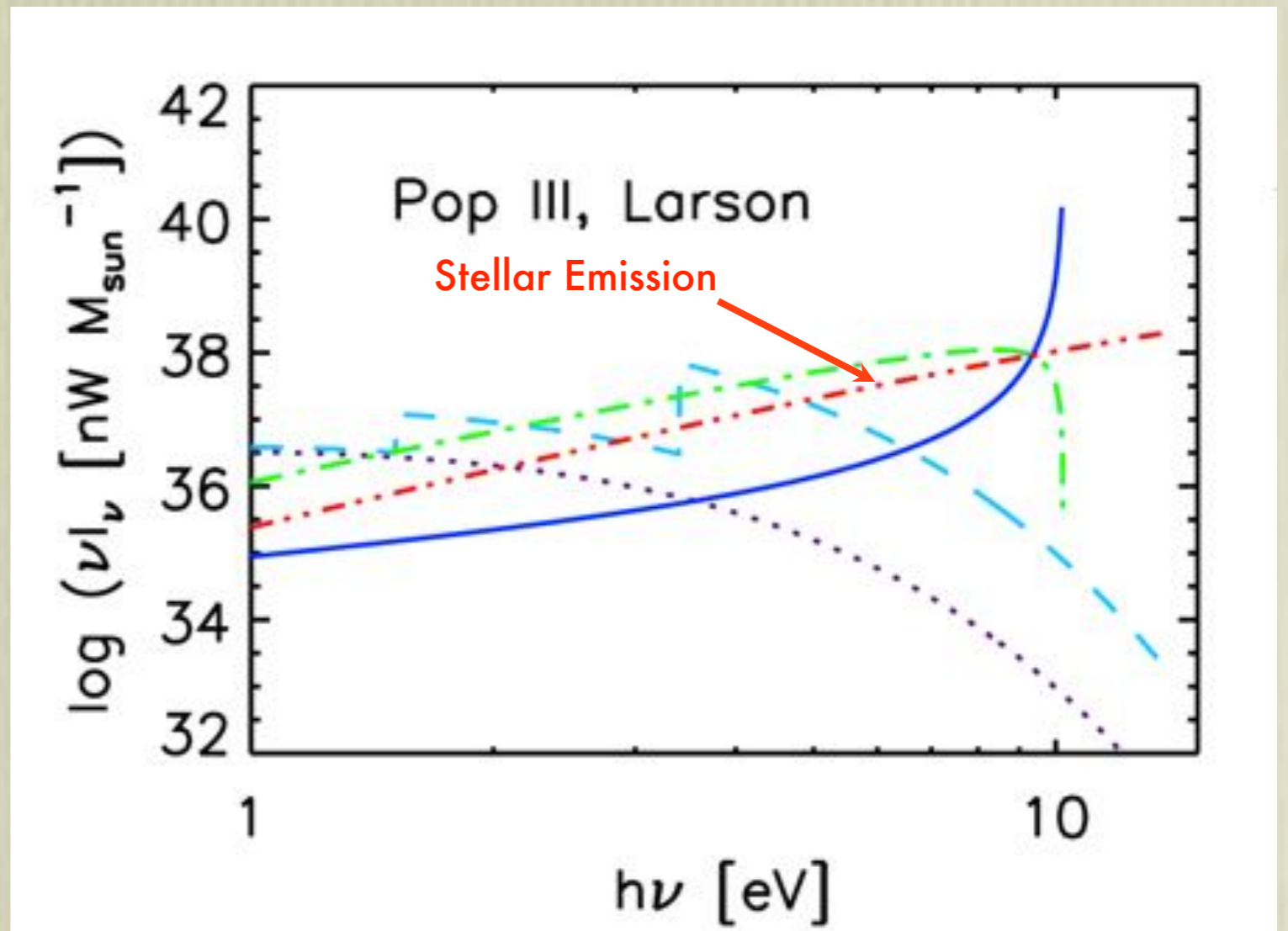


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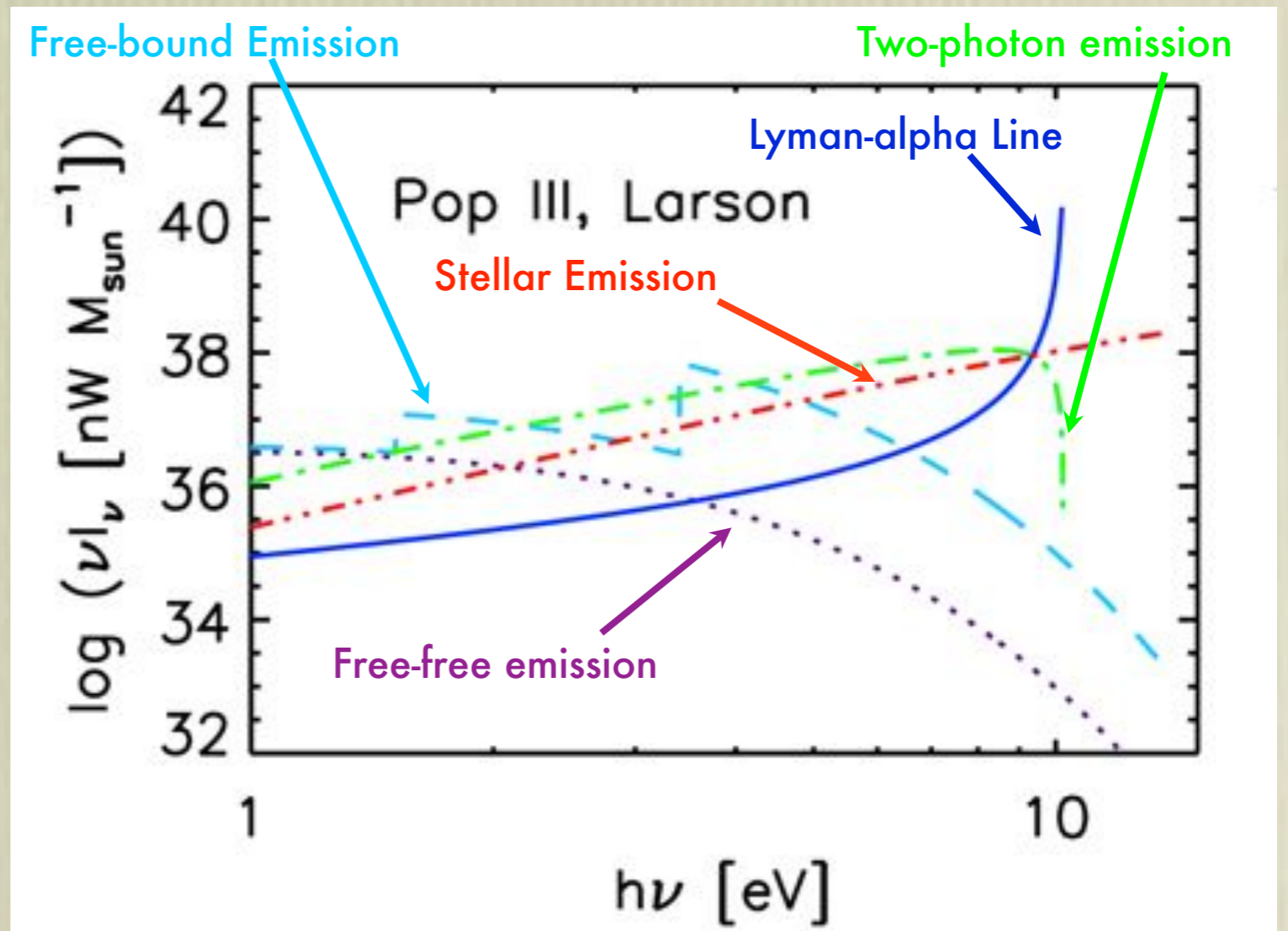


The Tools

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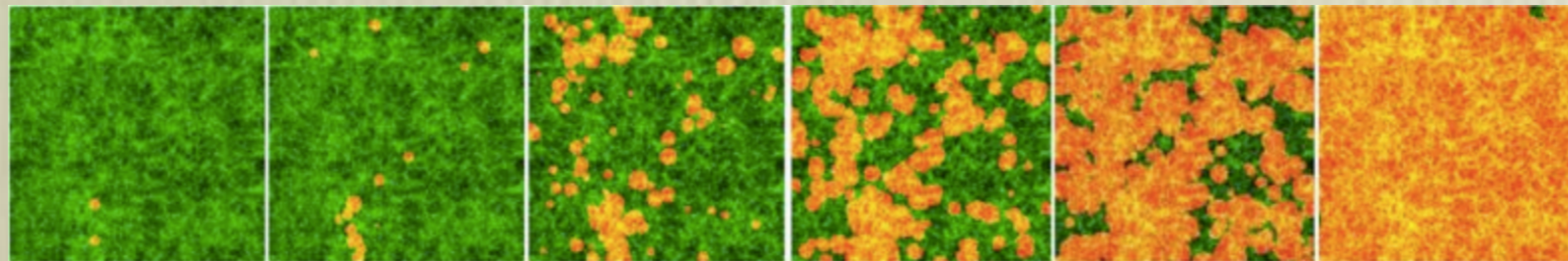
Stellar Properties:

- Mass
- Metallicity



The Tools

- Analytical formulae
- The simulations
 - N-body code with radiative transfer (Iliev et al. 2006, 2007, 2011)
 - Two simulations ($M_{\min} = 2 \times 10^9$ or $10^8 M_{\odot}$)



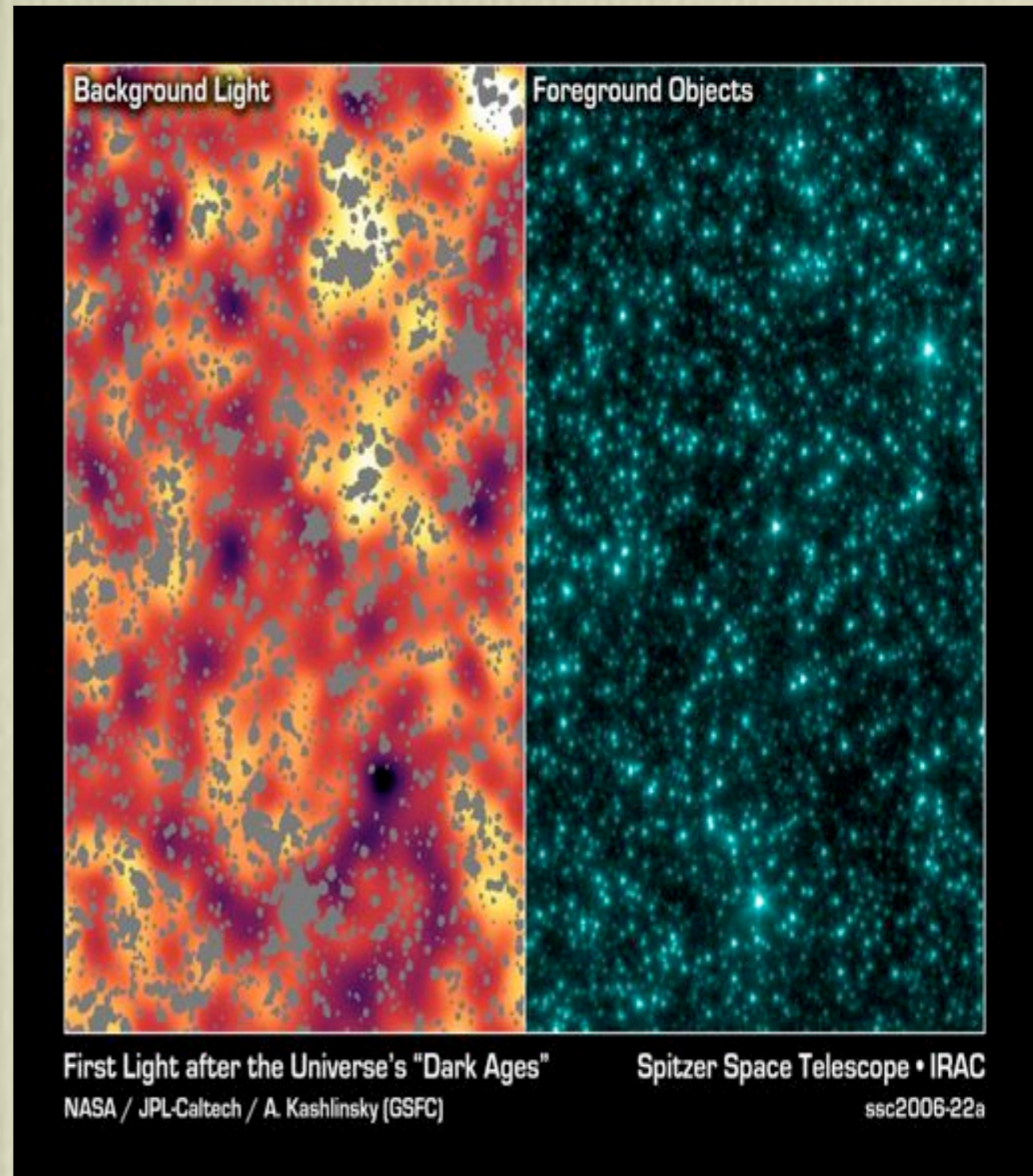
Modeling the Observables

- Mean CIB
 - Luminosity independent of location

$$I = \frac{c}{4\pi} \left(f_* \frac{\Omega_b}{\Omega_m} \right) \int \frac{dz}{H(z)(1+z)} \bar{\rho}_M^{halo}(z) \times [\bar{l}^*(z) + \bar{l}^{ff}(z) + \bar{l}^{fb}(z) + \bar{l}^{2\gamma}(z) + \bar{l}^{Ly\alpha}(z)]$$

- Fluctuation power
 - Information on structures

$$C_l = \frac{c}{(4\pi)^2} \left(f_* \frac{\Omega_b}{\Omega_m} \right)^2 \int \frac{dz}{H(z)r^2(z)(1+z)^4} \times [\bar{\rho}_M^{halo}(z) \{ \bar{l}^*(z) + (1 - f_{esc})\bar{L}(z) \}]^2 \times b_{eff}^2 \left(k = \frac{l}{r(z)}, z \right) P_{lin} \left(k = \frac{l}{r(z)}, z \right)$$



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 - The properties of STARS themselves
 - The properties of GALAXIES
 - The NUMBER of stars forming
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Stellar properties



Population II
stars



"Normal"
Salpeter IMF

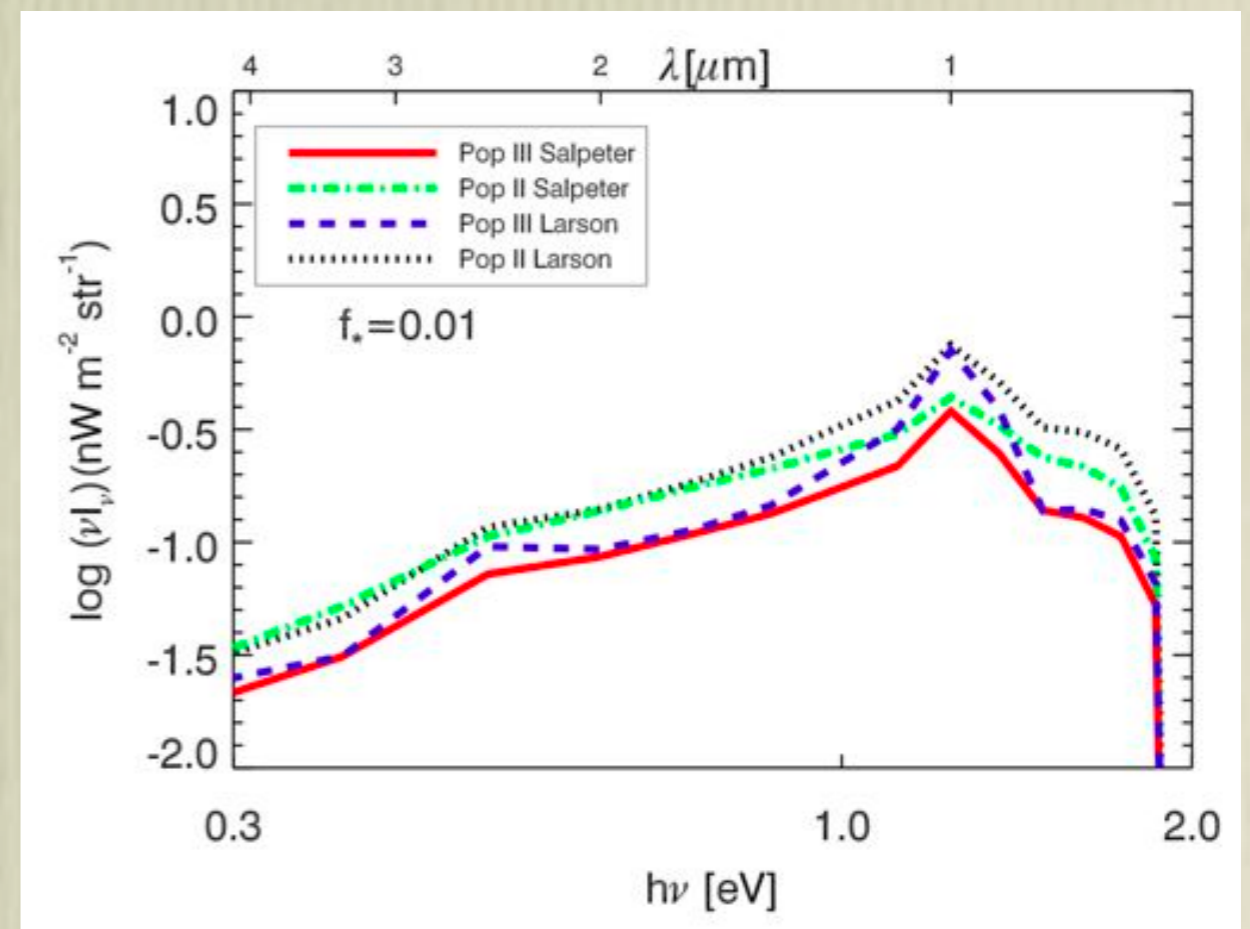
Stellar properties



Population II stars

"Normal" Salpeter IMF

- Mean CIB
- Shape changes only slightly
- Conservation of energy! (Pop III heavy stars have more ionizing photons => more nebular emission, but less stellar emission)



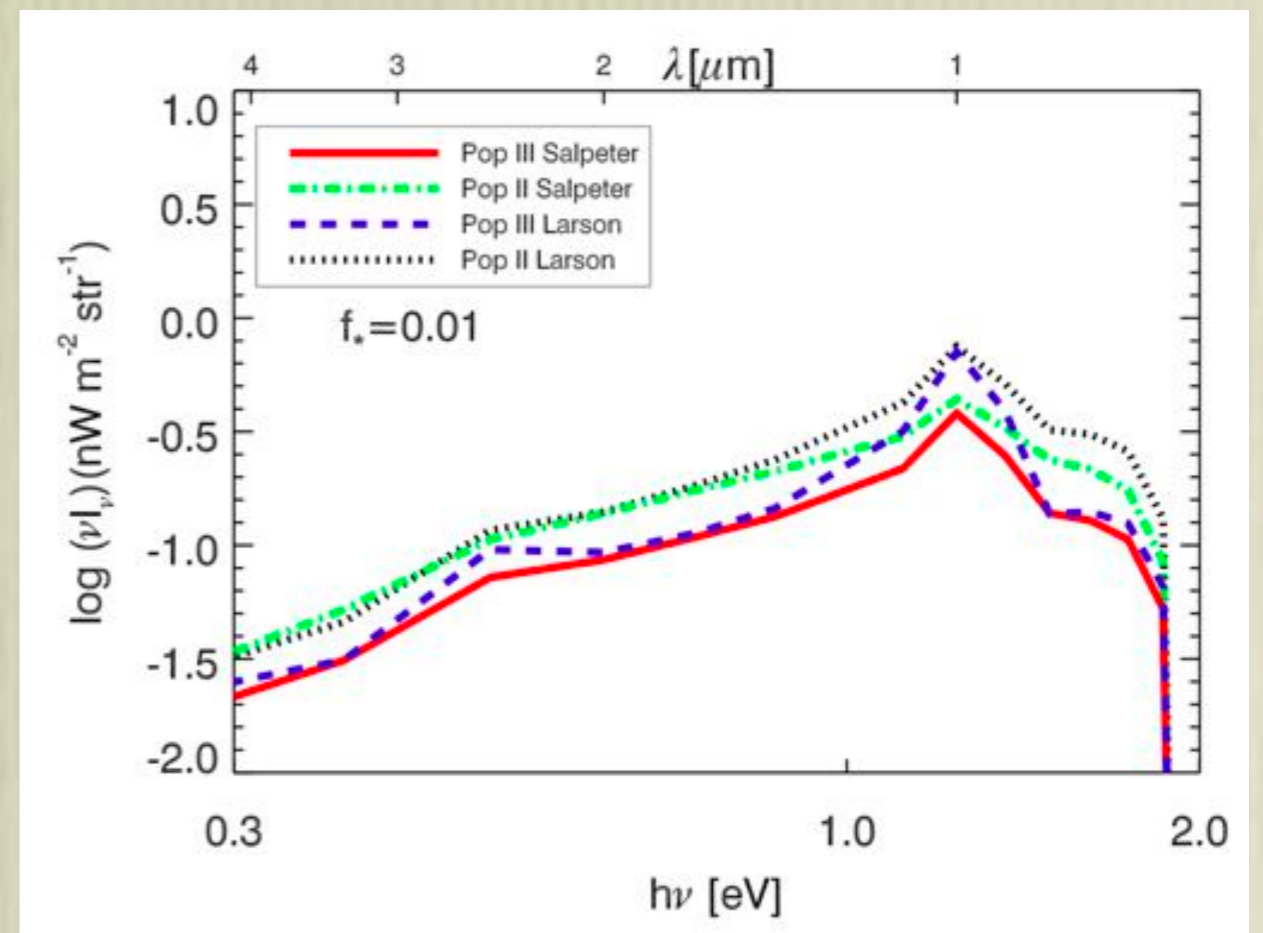
Fernandez, Komatsu, Iliev, Shapiro 2010

$$I = \frac{c}{4\pi} \left(f_* \frac{\Omega_b}{\Omega_m} \right) \int \frac{dz}{H(z)(1+z)} \bar{\rho}_M^{halo}(z) \times [\bar{l}^*(z) + \bar{l}^{ff}(z) + \bar{l}^{fb}(z) + \bar{l}^{2\gamma}(z) + \bar{l}^{Ly\alpha}(z)]$$

Stellar properties

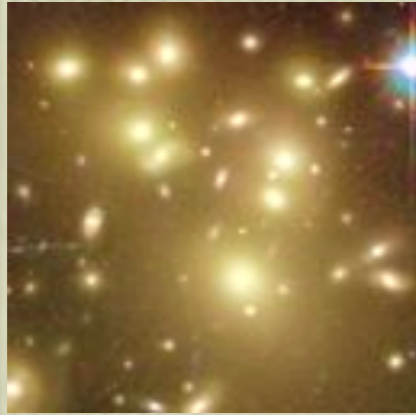


- Mean CIB does not depend strongly on our assumptions of stellar properties
- Fluctuation analysis is degenerate with respect to stellar properties



Fernandez, Komatsu, Iliev, Shapiro 2010

Galactic properties



Massive Galaxies
Only ($> 10^9 M_{\odot}$)

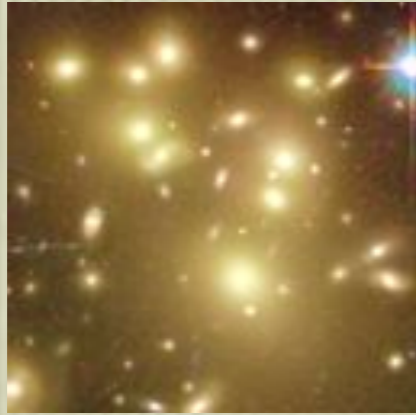


Small & Large
Galaxies ($> 10^8 M_{\odot}$)



Small Galaxies
Suppressed

Galactic properties



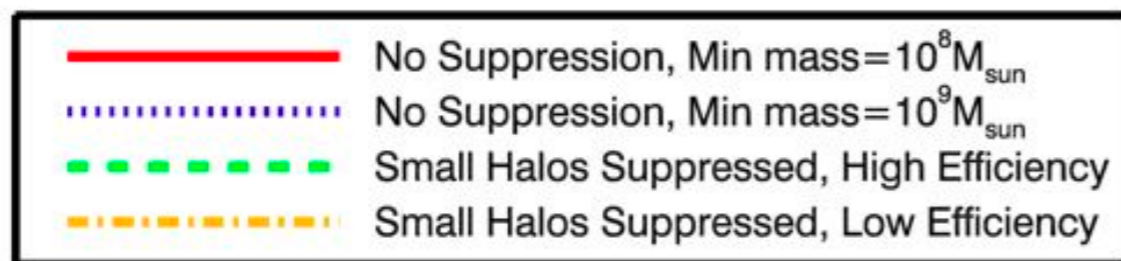
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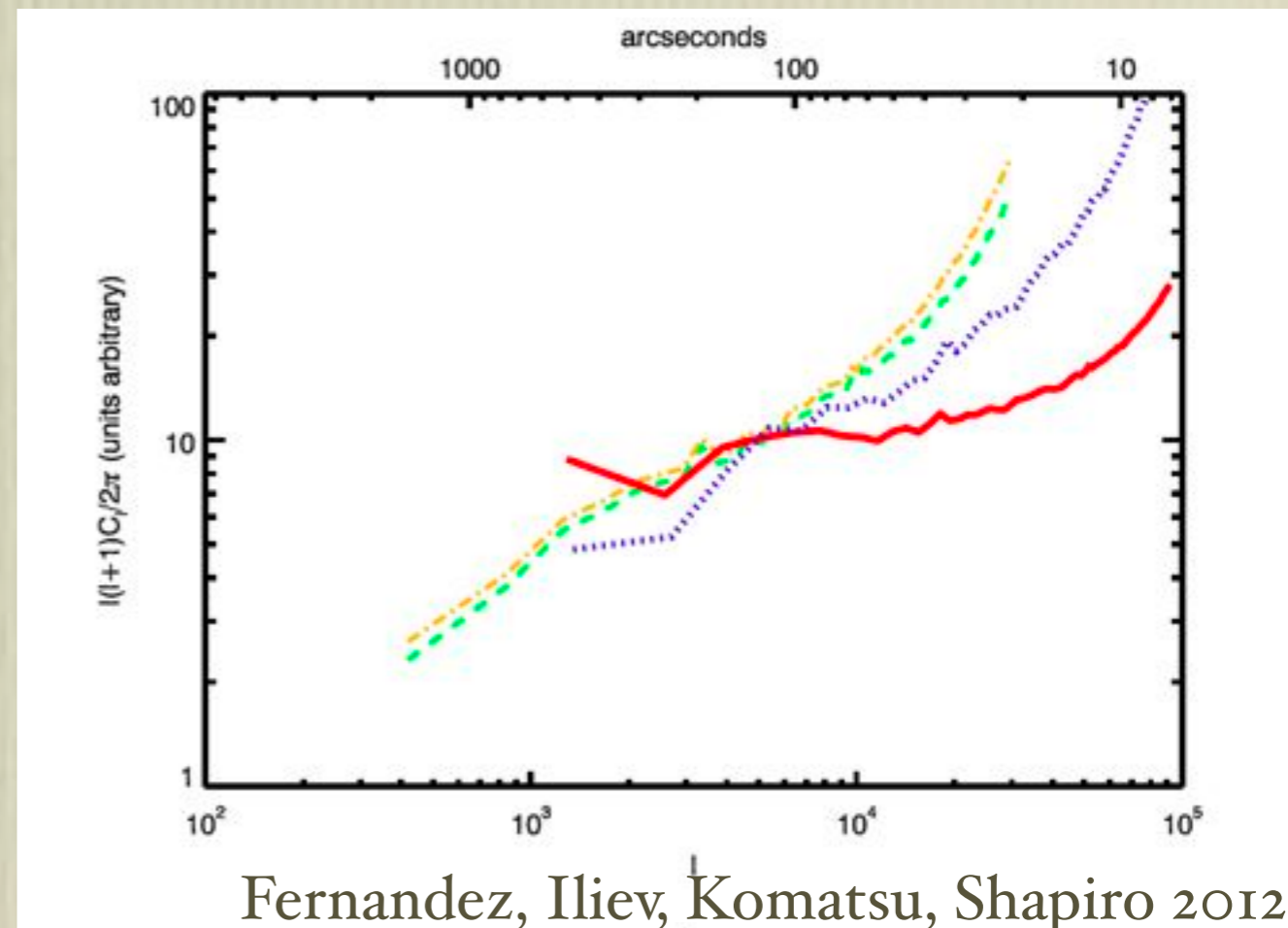
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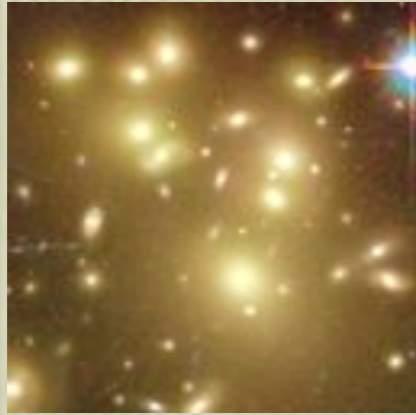
Small Galaxies
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$$C_l = \frac{c}{(4\pi)^2} \left(f_* \frac{\Omega_b}{\Omega_m} \right)^2 \int \frac{dz}{H(z)r^2(z)(1+z)^4} \times [\bar{\rho}_M^{\text{halo}}(z) \{ \bar{l}^*(z) + (1 - f_{\text{esc}})\bar{L}(z) \}]^2 \times b_{\text{eff}}^2 \left(k = \frac{l}{r(z)}, z \right) P_{\text{lin}} \left(k = \frac{l}{r(z)}, z \right)$$



Galactic properties



Massive Galaxies
Only ($> 10^9 M_{\odot}$)

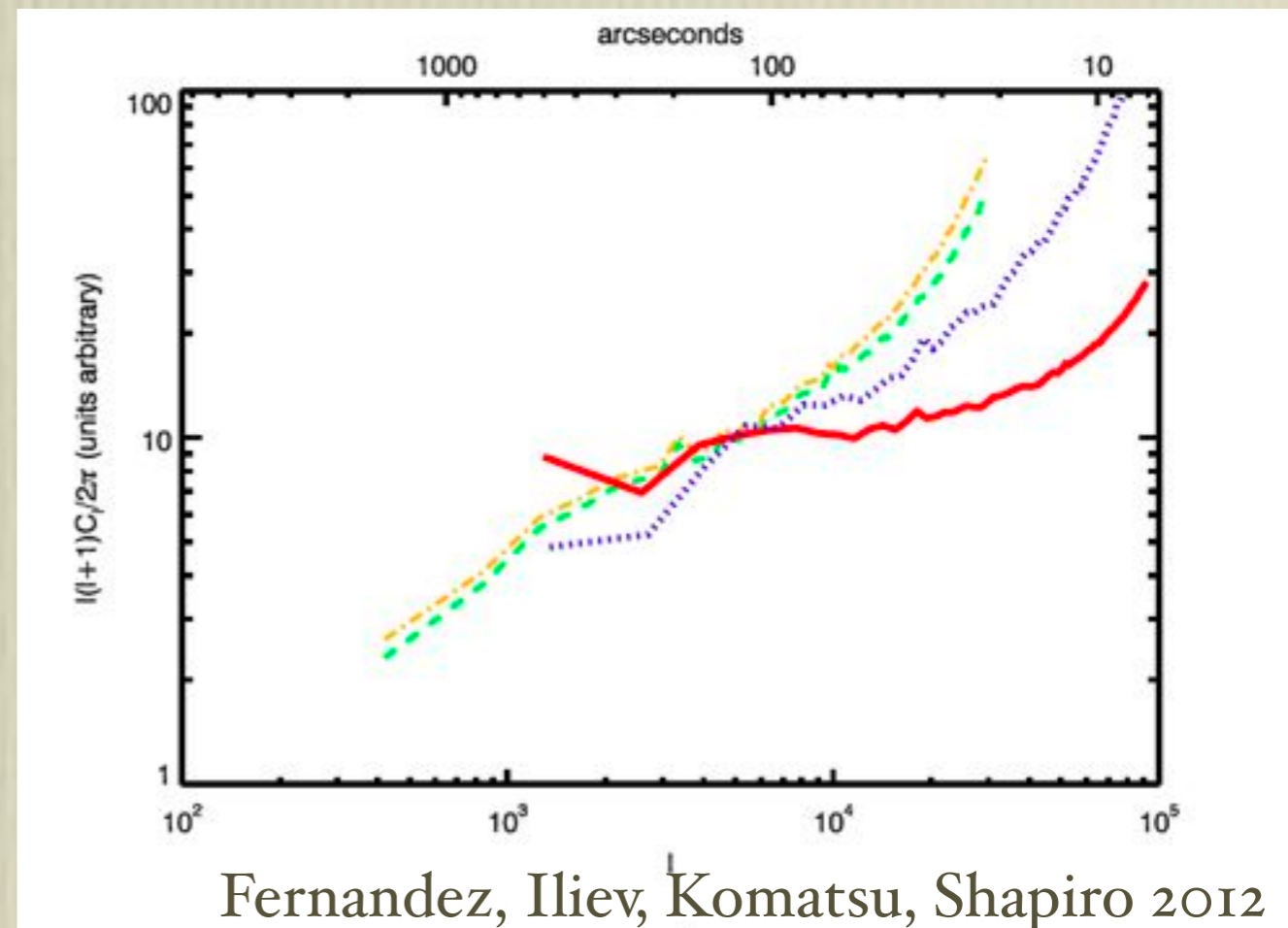


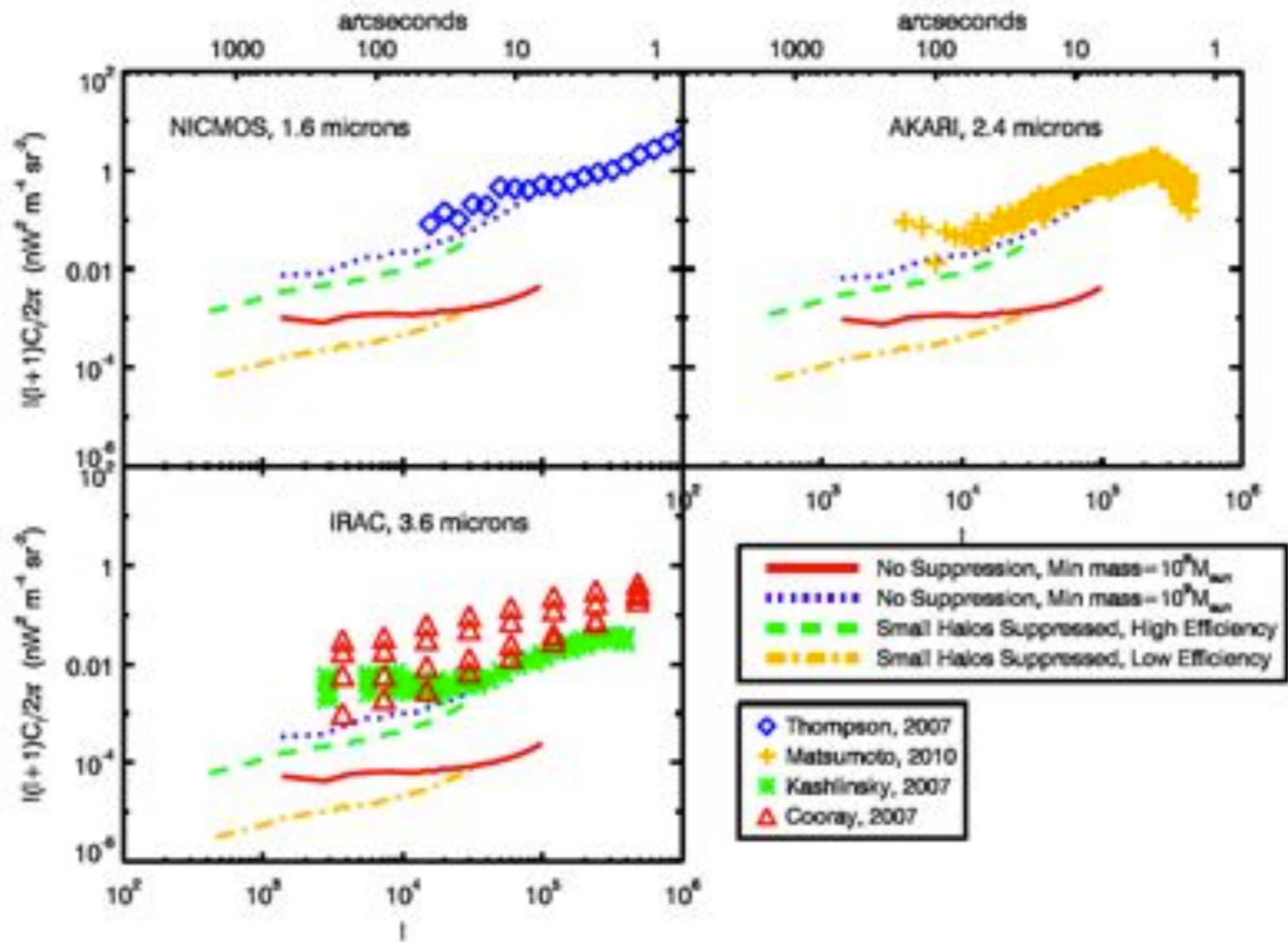
Small & Large
Galaxies ($> 10^8$ to
 $10^9 M_{\odot}$)



Small Galaxies
Suppressed

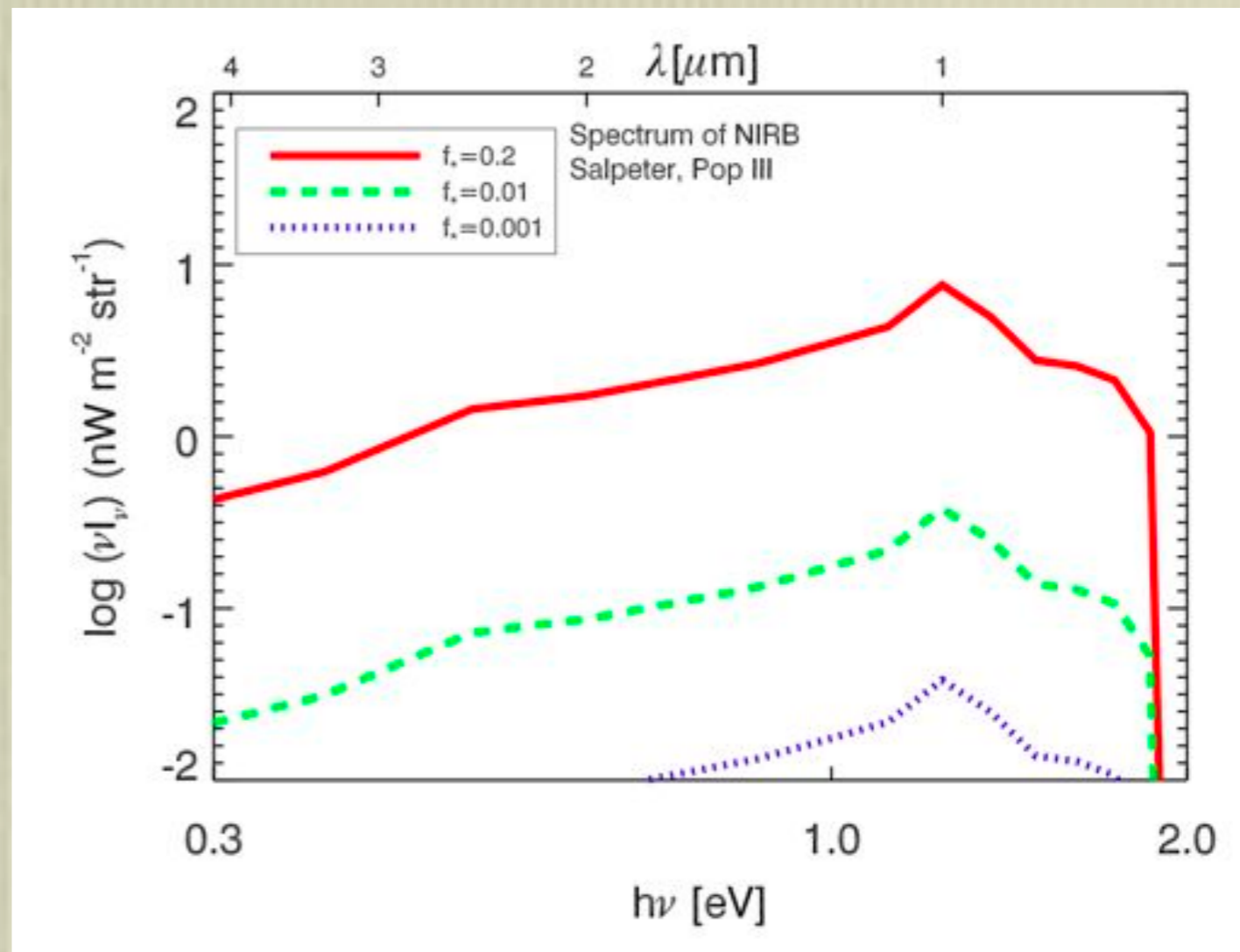
- Bias is strongly dependent on minimum halo mass and suppression history
- Non-linear bias is very large at large l !
- Steepest for high minimum mass, suppression
- We never see a turnover





Star Formation Rate

- Mean very sensitive to f_*
- Current observations can rule out large values of f_*
- Fluctuations don't add much - dependence on f_* degenerate



$$I = \frac{c}{4\pi} \left(f_* \frac{\Omega_b}{\Omega_m} \right) \int \frac{dz}{H(z)(1+z)} \bar{\rho}_M^{halo}(z) \times [\bar{l}^*(z) + \bar{l}^{ff}(z) + \bar{l}^{fb}(z) + \bar{l}^{2\gamma}(z) + \bar{l}^{Ly\alpha}(z)]$$

Fernandez, Komatsu, Iliev, Shapiro 2010

Extracting More Information

The Mean CIB

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The Fluctuations of the CIB

$$C_l = \frac{c}{(4\pi)^2} \left(f_* \frac{\Omega_b}{\Omega_m} \right)^2 \int \frac{dz}{H(z)r^2(z)(1+z)^4} \\ \times [\bar{\rho}_M^{halo}(z) \{ \bar{l}^*(z) + (1 - f_{esc})\bar{L}(z) \}]^2 \\ \times b_{eff}^2 \left(k = \frac{l}{r(z)}, z \right) P_{lin} \left(k = \frac{l}{r(z)}, z \right)$$

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Both depend on:

f_*

Luminosity

Extracting More Information

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Both depend on:
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Luminosity

$$\delta I / I \equiv \sqrt{l(l+1)C_l / (2\pi I^2)}$$

Find the Fractional Anisotropy

Extracting More Information

The Mean CIB

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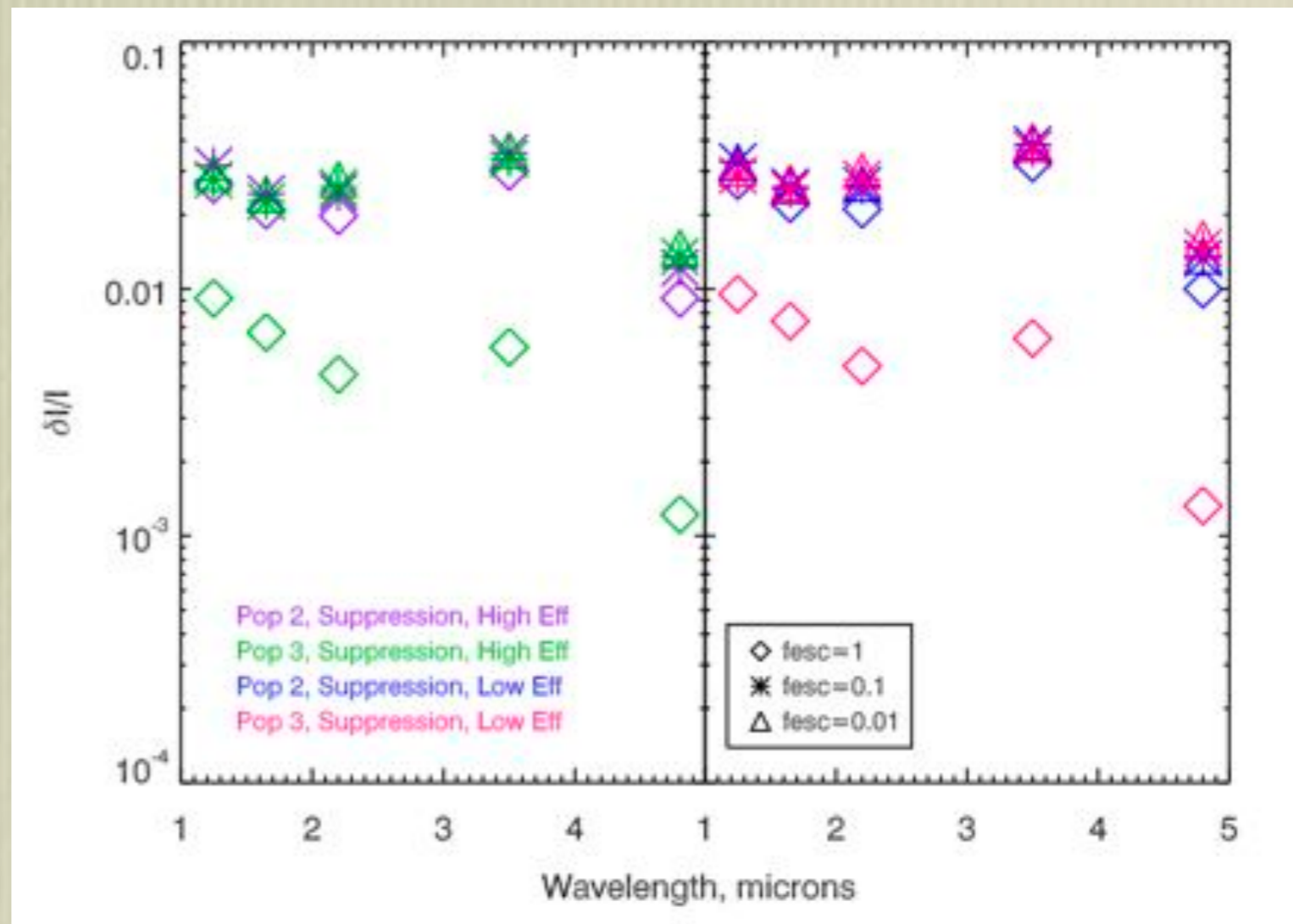
$$\delta I / I \equiv \sqrt{l(l+1)C_l / (2\pi I^2)}$$

Find the Fractional Anisotropy

Everything but f_{esc} nearly cancels out

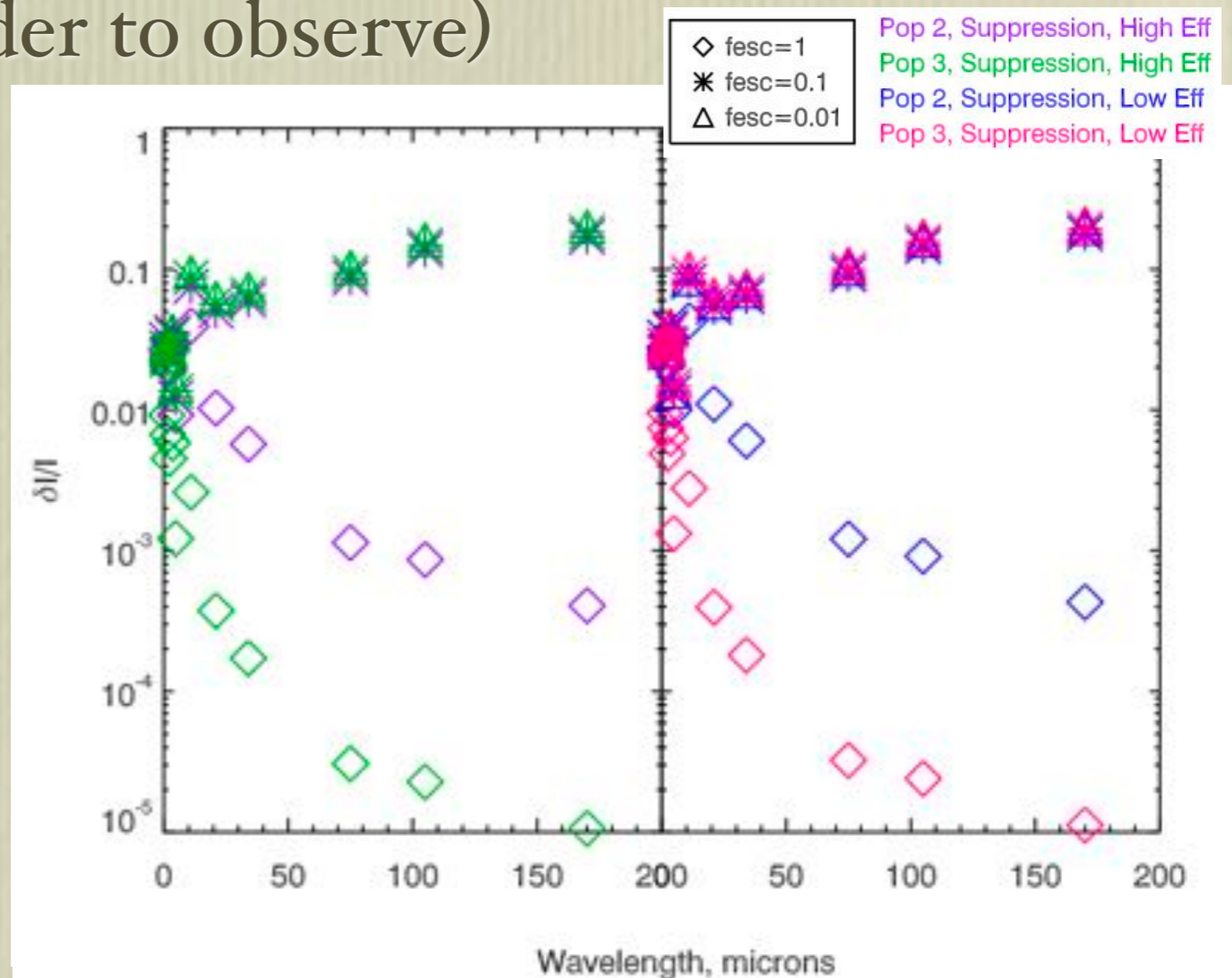
The Escape Fraction

- Fractional Anisotropy taken at 1-3000 (non-linear bias is not a factor between galactic populations)
- High values of the escape fraction with Pop III stars lead to lower values of $\delta I/I$



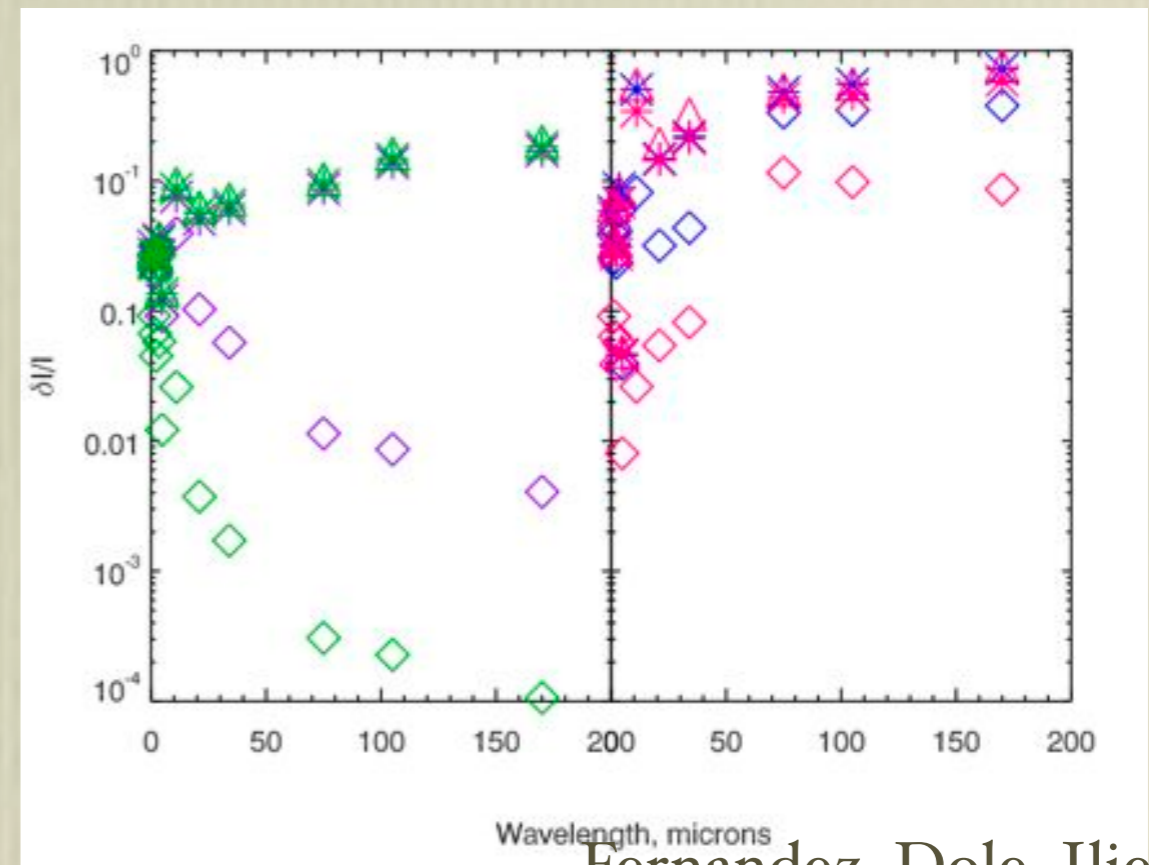
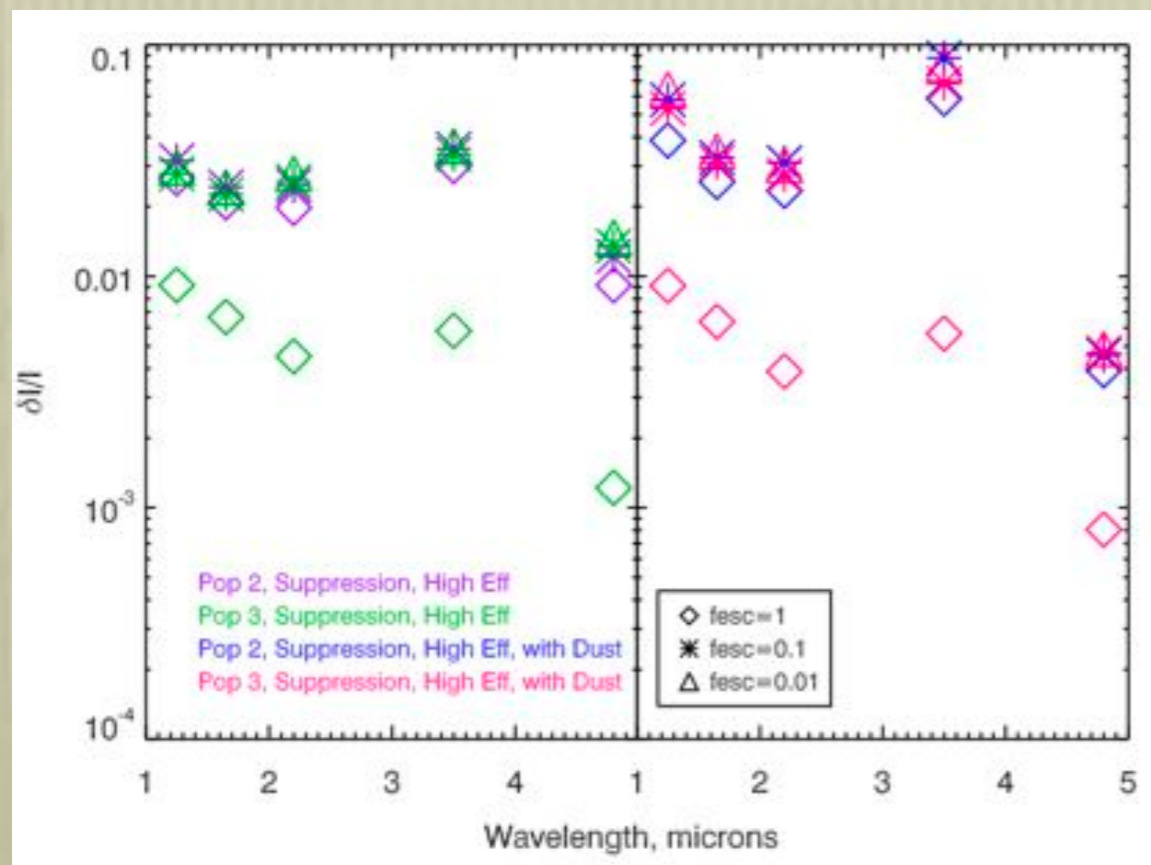
The Escape Fraction

- This is seen more clearly at longer wavelengths (even though harder to observe)
- High values of the escape fraction with any population lead to lower values of $\delta I/I$

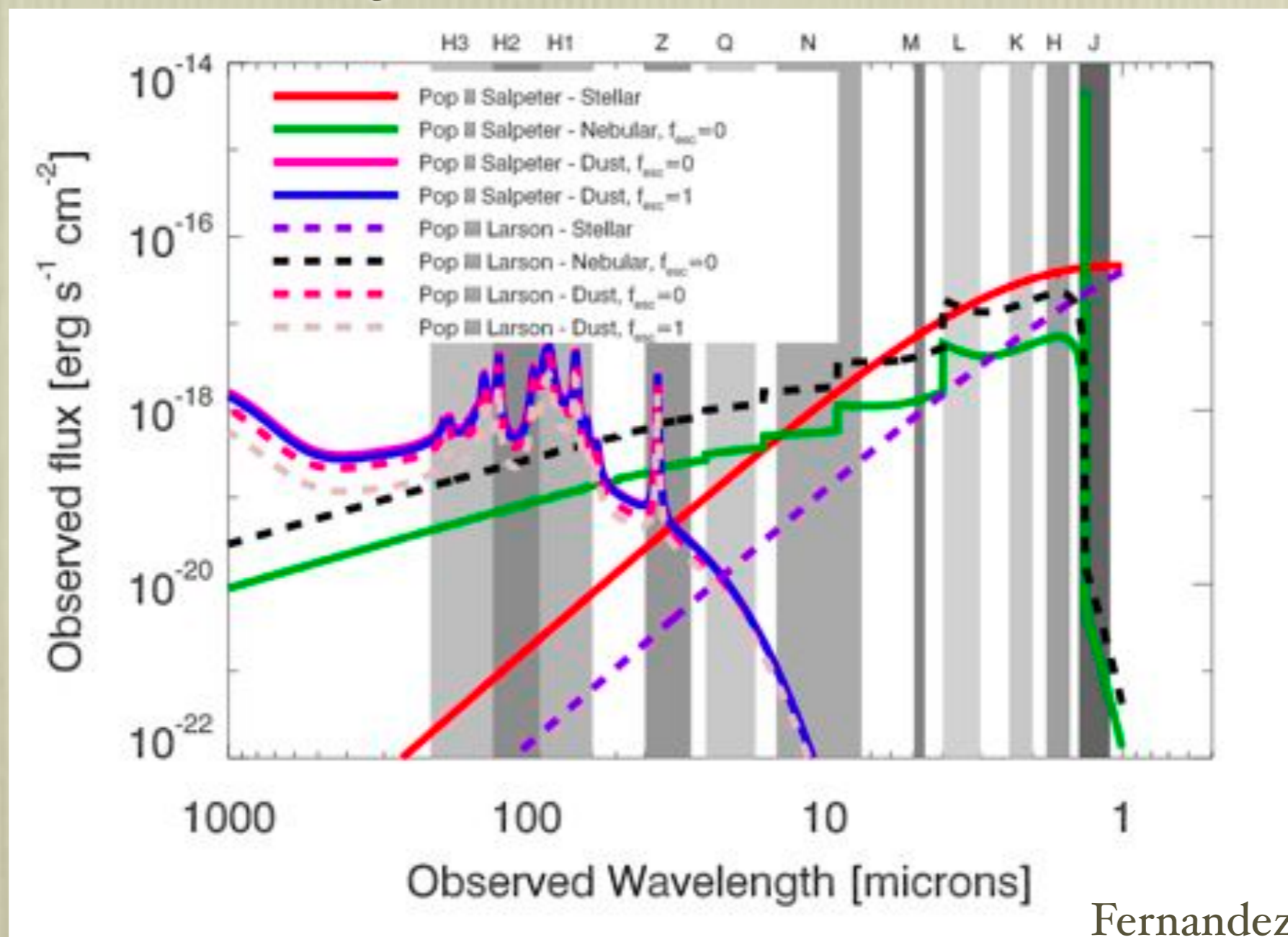


The Addition of Dust

- Dust further changes the picture
 - Higher $\delta I/I$ at long λ
 - Leaves its own distinct signature



- When f_{esc} low, nebular emission present within the halo at long wavelengths (that will affect the angular power spectrum)
- If f_{esc} high, nebular component disappears
- Dust adds emission at long wavelengths, mostly unaffected by f_{esc}
- Mean does not change with f_{esc}



Conclusions

- The pieces
 - The properties of STARS themselves - Hard to discern from both the mean or fluctuations
 - The properties of GALAXIES - The mass and suppression history is reflected in the angular power spectrum - a direct result of non-linear bias
 - The NUMBER of stars forming - The star formation rate is reflected in the amplitude of the mean CIB
 - WHERE the light is reprocessed - The escape fraction is revealed in the fractional anisotropy, since the amplitude of the fluctuations depend on the escape fraction, while the mean does not
 - HOW the light is reprocessed - Dust emission can change the signature of the fractional anisotropy through increased emission at longer wavelengths